

FIG. 1A

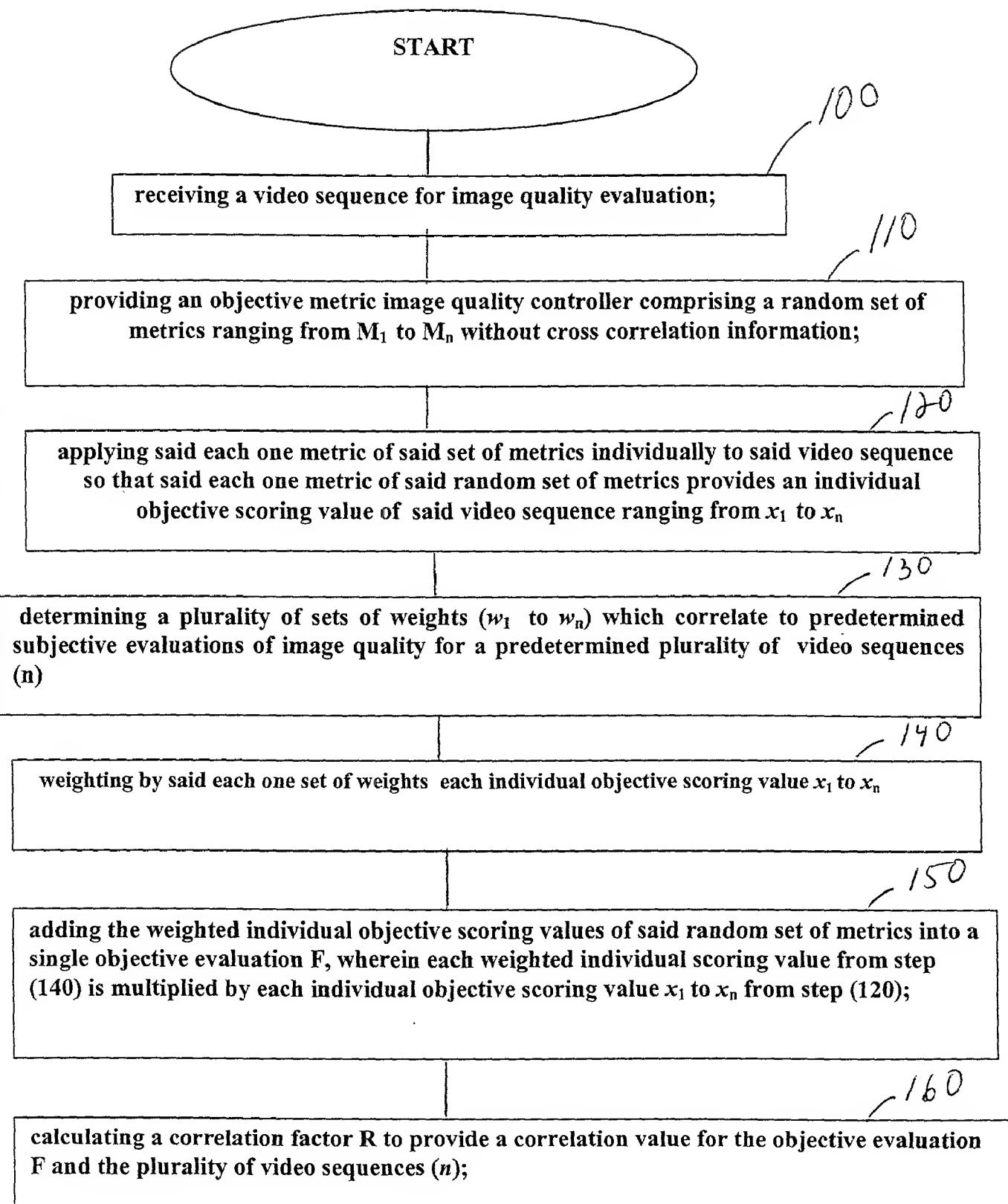


FIG. 1B

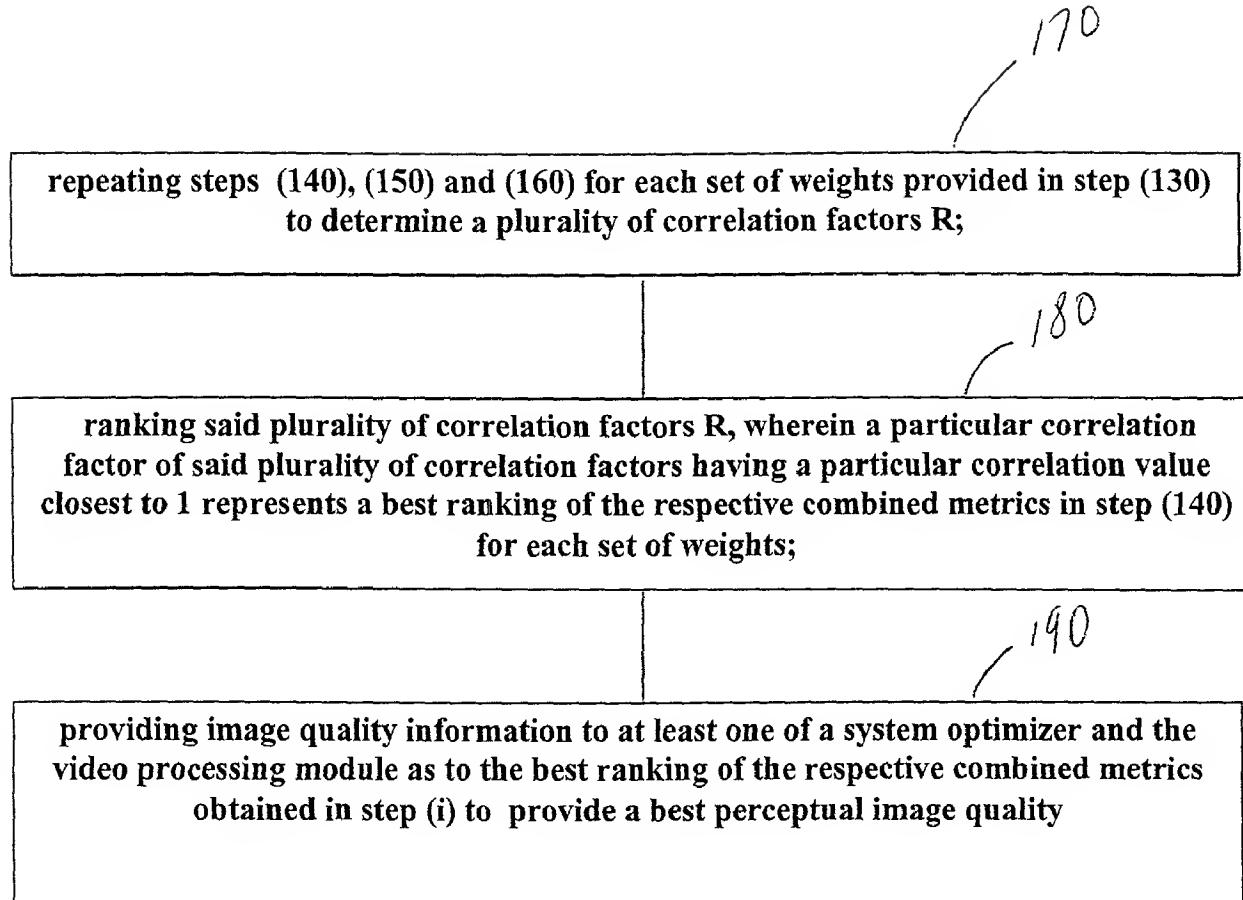


FIG. 1C

When a predetermined number of sets of metrics=n, the quadratic model to obtain the objective evaluation F is:

$$F = \left(\sum_{i=1}^n w_i x_i \right)^2, \text{ wherein } "n" \text{ is a non-zero value.}$$

FIG. 1D

when a number of the set of metrics =4, then the quadratic model to obtain the objective evaluation F is:

$$\begin{aligned} F = & w_1^{x_1^2} + w_2^{x_2^2} + w_3^{x_3^2} + w_4^{x_4^2} + w_5^{x_1 x_2} + w_6^{x_1 x_3} + w_7^{x_1 x_4} + w_8^{x_2 x_3} + w_9^{x_2 x_4} + \\ & w_{10}^{x_3 x_4}. \end{aligned}$$

FIG. 1E

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selecting a best set of weights from the plurality of sets of weights provided in step (130), said best set of weights being heuristically determined by a genetic algorithm that increases dynamically a size of the assigned range of said each one set of weights provided in step (130).

FIG. 1F

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selecting a best set of weights from the plurality of sets of weights provided in step (130), said best set of weights being heuristically determined by a genetic algorithm that enables finding the best solution that maximizes the correlation factor R of the overall objective image quality F with the subjective evaluation without the need to carry out an exhaustive search to find the best set of weights.

FIG. 2

Calculating of the correlation factor R in step (160) by using a Spearman rank order comprising the following equation:

$$R = 1 - \frac{6 * (X-Y)^t (X-Y)}{k(k^2-1)},$$

wherein \mathbf{X} is equal to a vector of ranked k objective values for the k sequences ($k * 1$), and

Y is equal to a vector of ranked k subjective evaluation for the k sequences ($k * 1$).

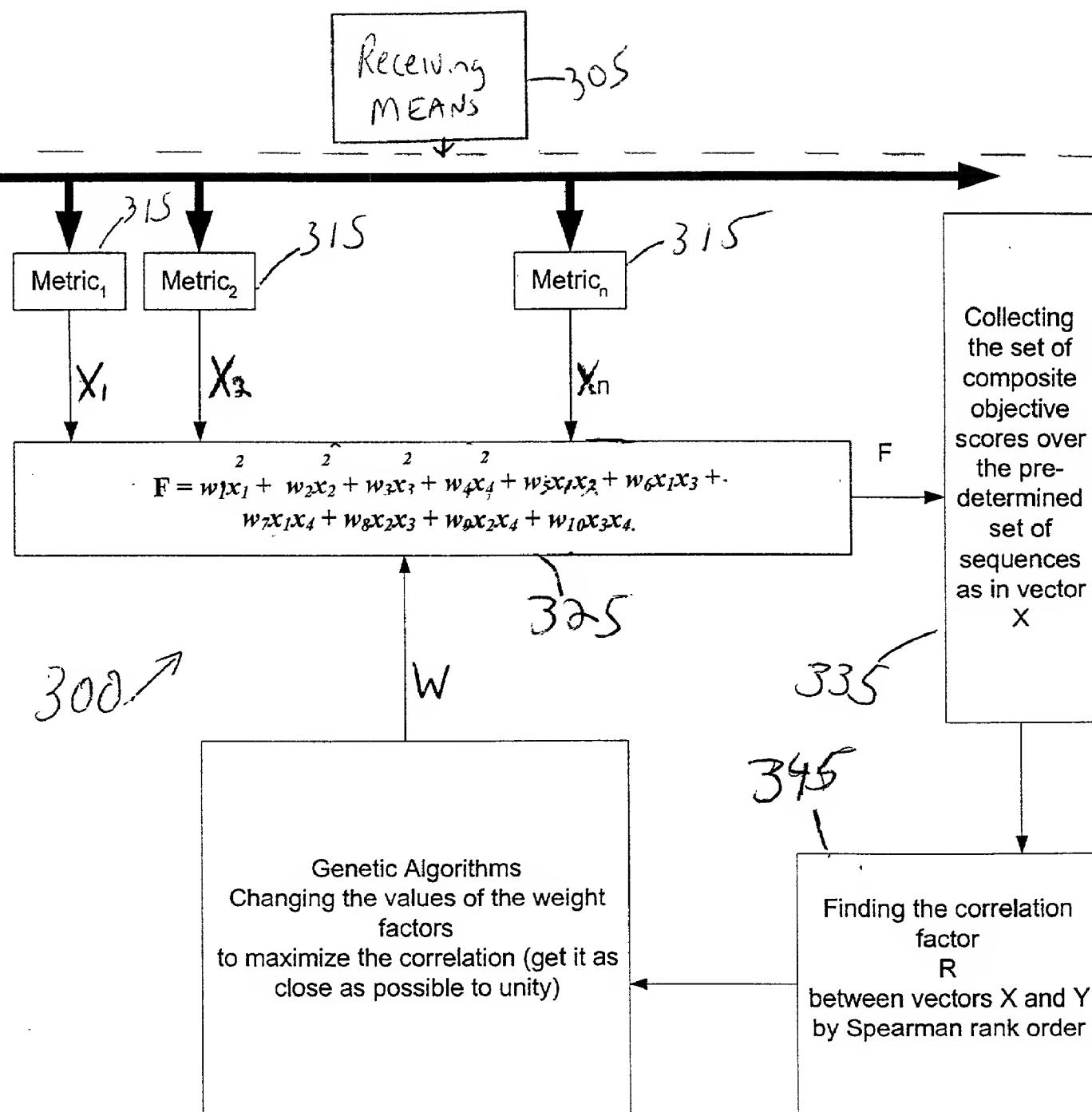


Fig. 3